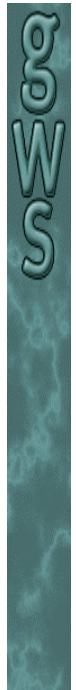


Stochastic Simulations with the model PANTA RHEI

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1. Why stochastic simulations?

- Four sources of errors in multi-equation simulation models:
 - equation contains implicit additive error term,
 - estimated values of coefficients are themselves random variables,
 - exogenous variables have to be forecasted, and those forecasts may contain errors
 - equation is misspecified (functional form does not represent the real world).

- Limitation to the first source of error:

$$Y_t = \alpha + \beta X_t + \epsilon_t \quad \text{with } \epsilon_t \sim N(0, \sigma^2)$$

2. Implementation in PANTA RHEI

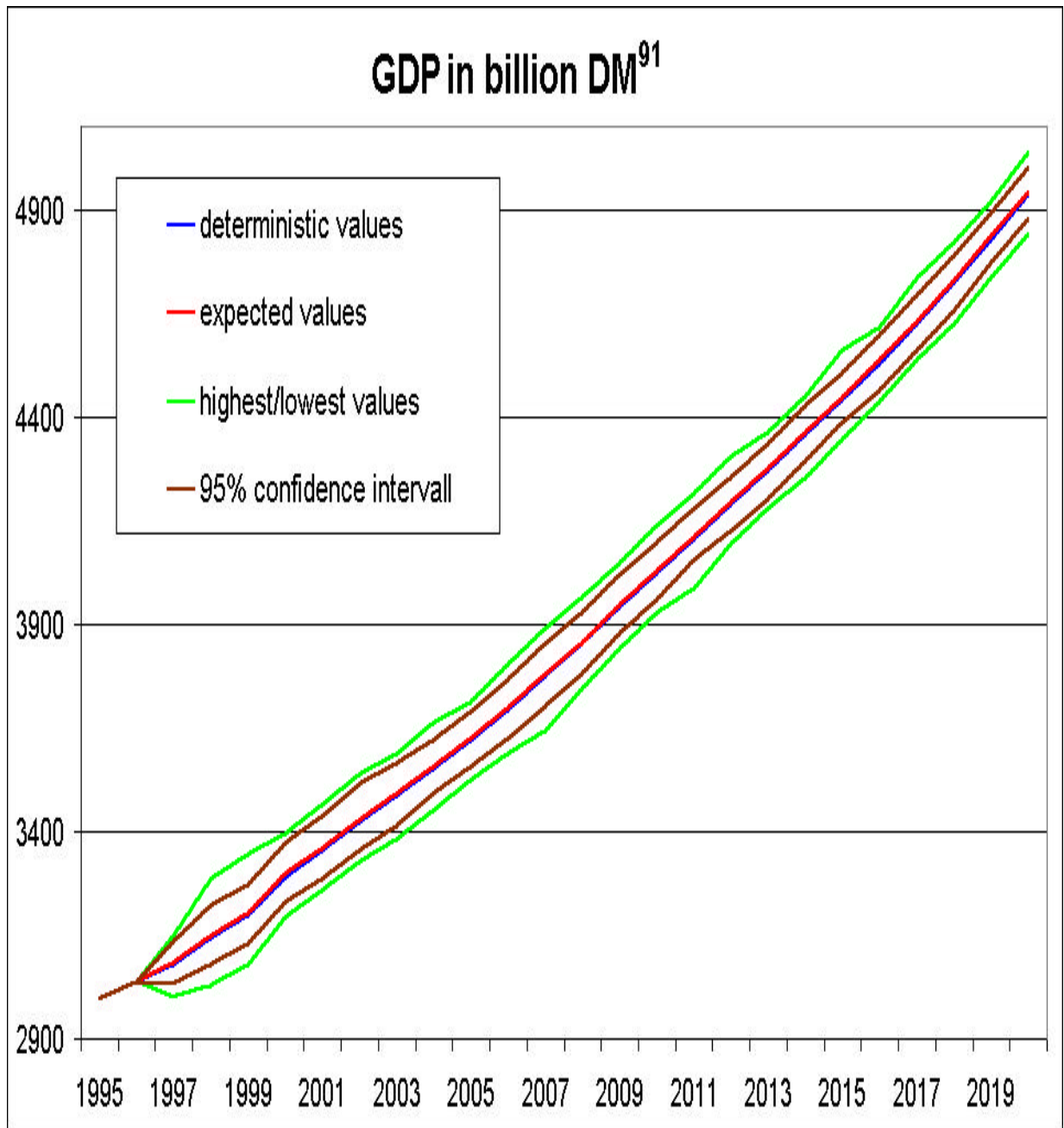
- For 1173 estimated equations:
 - calculate standard error of estimation:

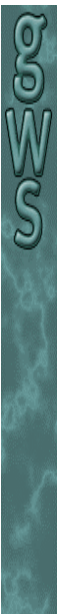
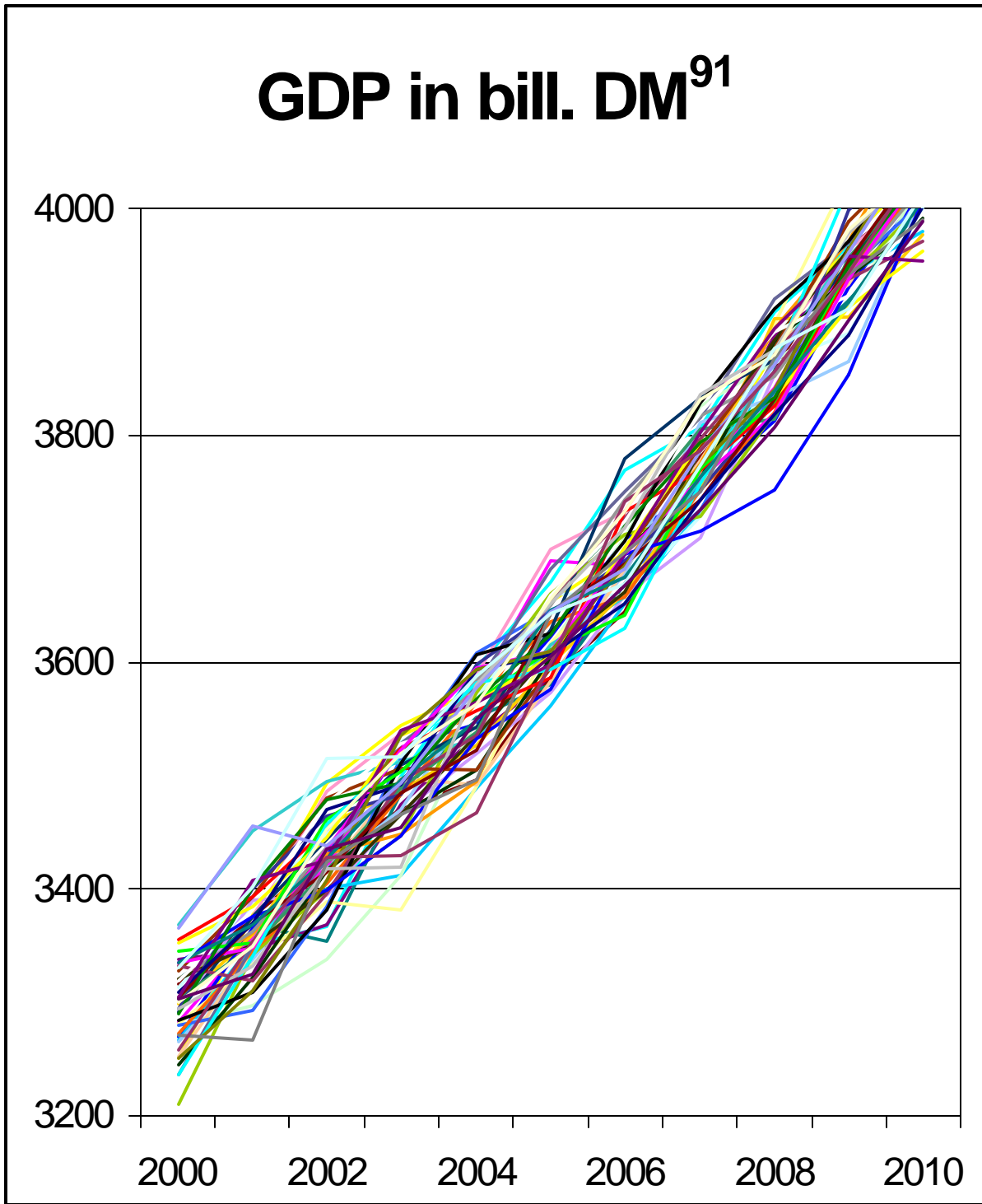

```
ti food
lim 83 96
r cpvr01 = YVH, ZEIT
fex CPVR01_S = @sum(@sq( resid )) / 14
```
 - generate random variables and transform to $N(0, S^2)$:


```
if (iter == 1 && t > 1996)
  CPVR01_S[t] = ndev( CPVR01_S[1996] );
```
 - add random variables to the equations (assuming covariances between coefficients to be zero):

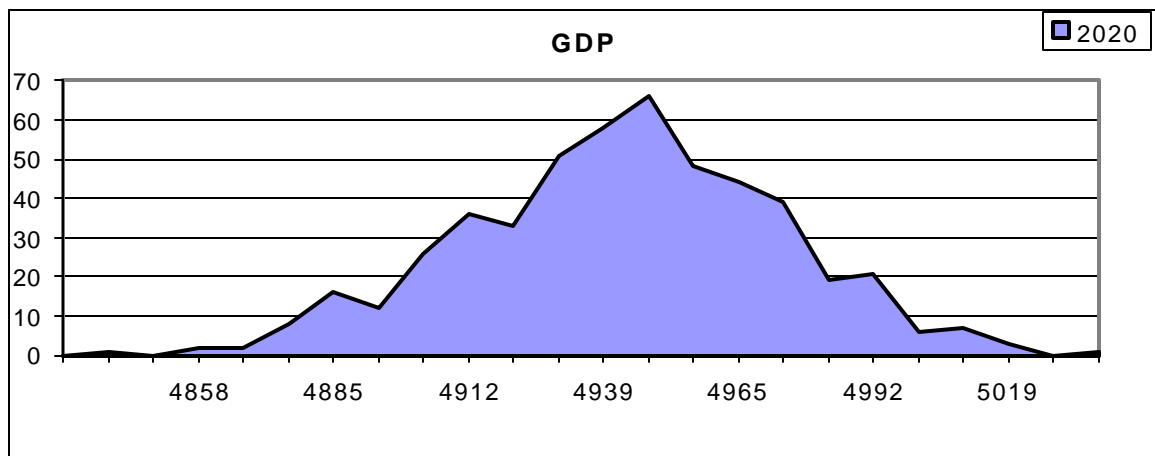
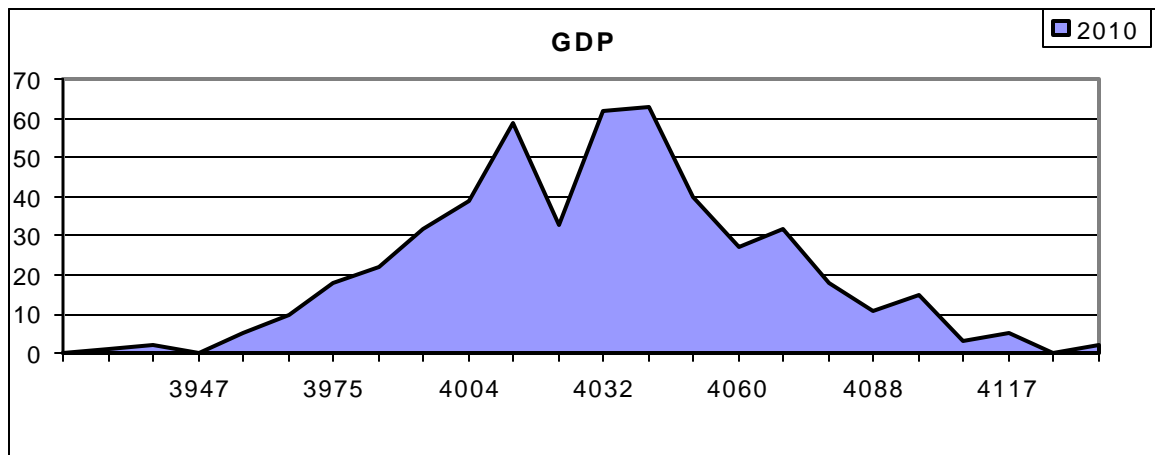
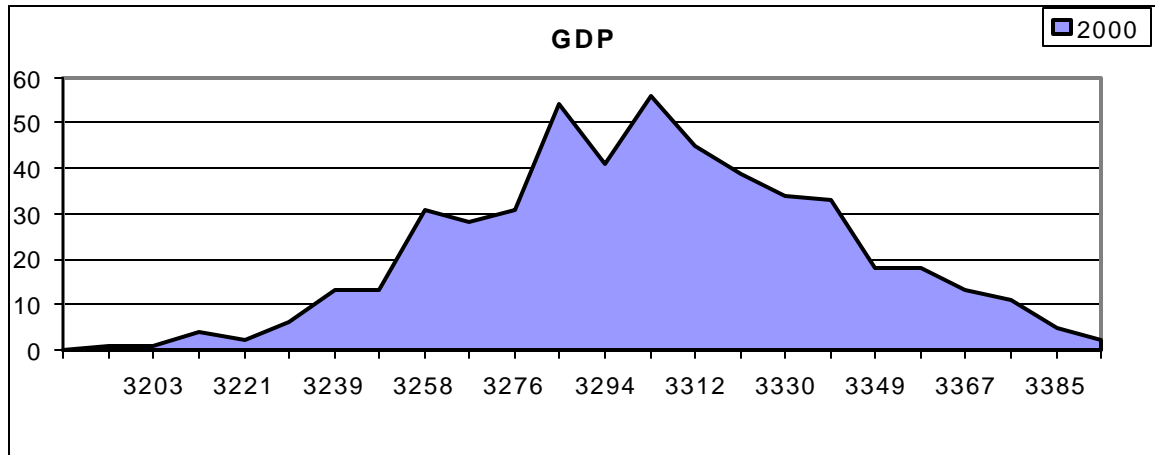

```
cpvrEQN.rhostart = cpvr.LastData();
depend = 172.626191*intercept + 0.104478*YVH[t]
  + -1.871435*ZEIT[t];
if (t > 1996) depend += CPVR01_S[t];
cpvr[1] = cpvrEQN.rhoadj(depend, cpvr[1], 1);
```

3. Results of 500 simulations (10 runs did not converge)

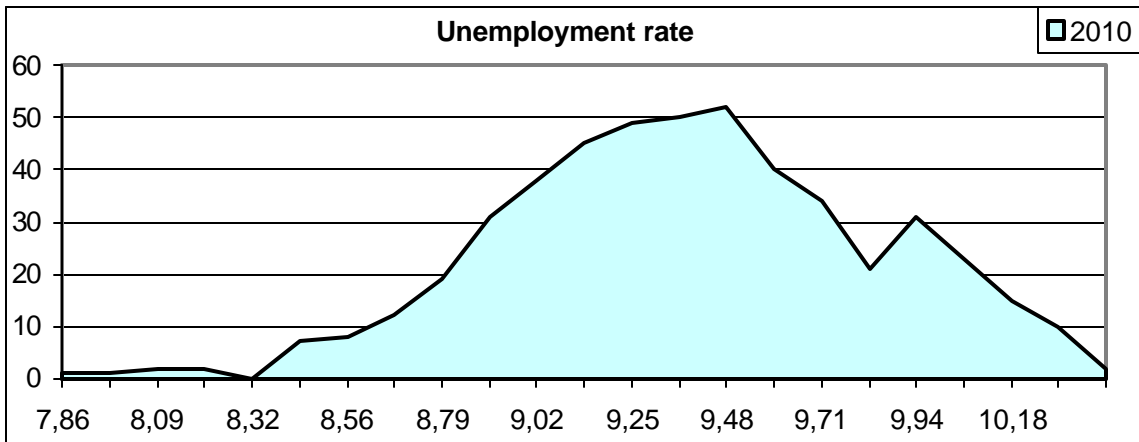
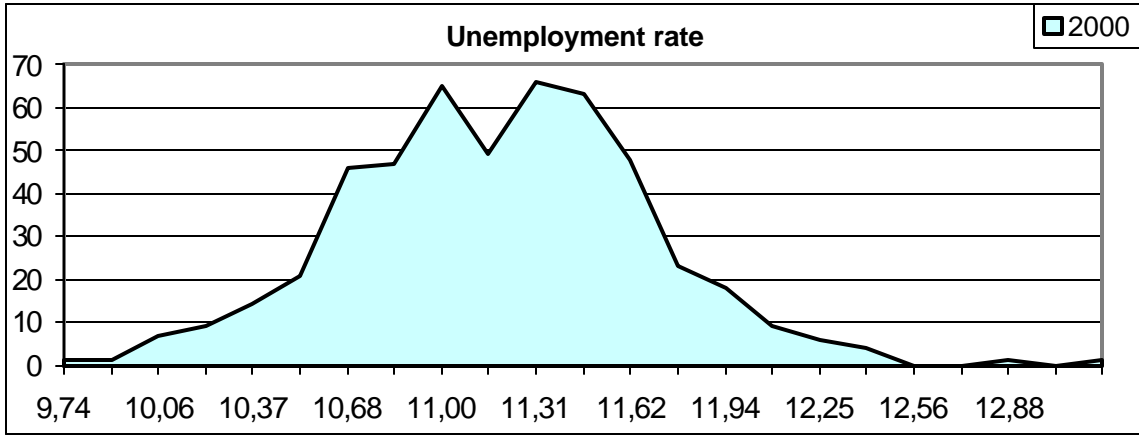




Histograms of GDP in bill. DM⁹¹



Histograms of unemployment rate in %



4. Conclusion

- Similar results for other variables
- Additive error terms are not important
=> deterministic simulation is enough!
- Dynamic interdependencies small
(exception: public consumption,
small influence of capital stocks
in the model version)
- Focus on other sources of error:
 - errors in exogenous variables
=> sensitivity analysis
 - misspecified equations
=> historical (ex post) simulations
(simulation errors)
=> overall sensitivity analysis
(ex ante simulations, use of the model)

Appendix
A1: Random numbers between 0 and 1

```

#define IM_s 2147483647
#define IA_s 16807
#define AM_s (1.0/IM_s)
#define IQ_s 127773
#define IR_s 2836
#define NTAB_s 32
#define NDIV_s (1+(IM_s-1)/NTAB_s)
#define EPS_s 1.2e-7
#define RNMX_s (1.0-EPS_s)

// generate random numbers

float ran1 (long *idum)

{   int j;
    long k;
    static long iy = 0;
    static long iv [NTAB_s];
    float temp;

    if (*idum <= 0 || ! iy){

        if (-(*idum) < 1) *idum = 1;
        else *idum = -(*idum);

        for (j=NTAB_s + 7; j >= 0; j--){
            k=(*idum)/IQ_s;
            *idum = IA_s*( *idum - k*IQ_s ) - IR_s*k;
            if (*idum<0) *idum += IM_s;
            if (j<NTAB_s) iv[j] = *idum;
        }
        iy = iv [0];
    }

    k = (*idum) / IQ_s;
    *idum = IA_s*( *idum - k*IQ_s ) - IR_s*k;

    if (*idum < 0) *idum += IM_s;

    j = iy / NDIV_s;
    iy = iv [j];
    iv [j] = *idum;

    if ((temp = AM_s*iy) > RNMX_s) return RNMX_s;
    else return temp;
}

```

A 2: Change random numbers into normal distribution

```
// Normal distribution

float nver (float *var, long *idum)
{
    static int iset=0;
    static float gset;
    float fac, rsq, v1, v2;

    if (*idum <0) iset = 0;

    if (iset == 0) {

        do {
            v1=2.0*ran1(idum)-1.0;
            v2=2.0*ran1(idum)-1.0;
            rsq=v1*v1+v2*v2;
        } while (rsq >= 1.0 || rsq== 0.0);

        fac = sqrt(-2.0*log(rsq)/rsq);

        gset = v1*fac;
        iset = 1;
        return v2*fac*sqrt (*var);

    } else {          /* (iset != 0) */

        iset = 0;
        return gset*sqrt (*var);
    }

}
```